

# Fraunhofer Diffraction: Young's Single Slit Experiment

History:

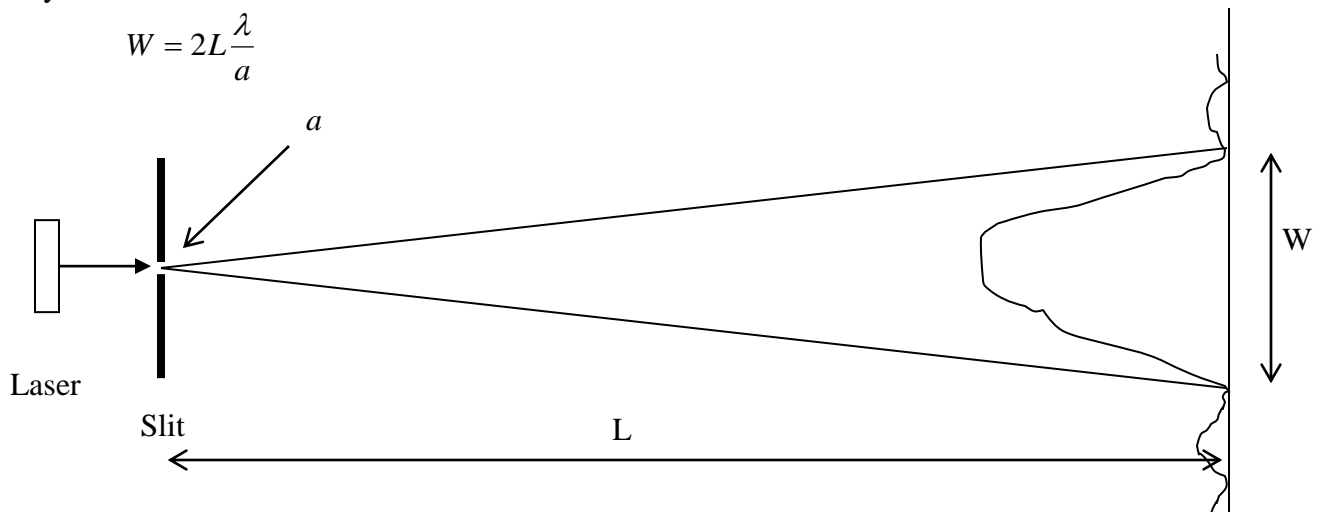
In 1802, Thomas Young showed with his double-slit experiment the interference pattern of two light sources, which could be explained only by assuming a **wave nature of light**, with the superposition principle for electric field at its foundation.

## 1) Diffraction at a Single Slit: Quantitative Experiment:

Diffraction, itself, is an interference effect. In this case, a beam partially blocked by an aperture **interferes with itself** and forms a pattern.

The relationship between the beam width ( $W$ ), the distance to the screen ( $L$ ), the wavelength ( $\lambda=650$  nm) for red and ( $\lambda=532$  nm) for green, and the slit width ( $a$ ) is given by:

$$W = 2L \frac{\lambda}{a}$$



Measurement:

- 1) Leave the screen distance  $L$  fixed ( $\sim 80$  cm) and vary the slit size (three slit sizes), while you measure the beam size,  $W$ , from first minimum to minimum with a ruler.
- 2) Compare your experimental values with corresponding calculations.
- 3) Now repeat 1-2 for two *hole* (not slit) sizes. Make sure you align the detector at maximum width.
- 4) Calculate the diameters of the Airy disks produced by the holes.
- 5) Discuss your results, comment on errors.

	Distance ( $L$ )	Slit Width ( $a$ )	$W$ , experimental	$W$ , theoretical
Slits				
Holes				

## 2) Further Diffraction Experiments:

Now put the Line/Slit into the laser beam.  
Sketch the pattern you see:

What pattern does this pattern resemble? What is your explanation?

## 3) Single Slit diffraction as a function of wavelength

- Record two diffraction patterns for the same slit, once with the red laser and once with the green laser.
- Print your graph, label it, and discuss your result.
- Measure the width of your main maxima (from minimum  $m=+1$  to  $m=-1$ ) for both wavelengths
- Calculate the ratio of widths for red/green and compare to the theoretical value.

## 4) Intensity and the sinc( $\beta$ )-function

We will focus on the sinc-function, especially the adjacent maxima, where  $\beta$  has the values  $\beta=+/-1.43\pi$  and  $\beta=+/-2.46\pi$ .

- Choose a small slit size. Set your detector to maximum gain. Adjust the aperture and alignment so that center maximum is saturated but side maxima are also well resolved.
- Scan the intensity pattern, including the next intensity maximum on either side
- Print results
- Analyze the peak heights in DataStudio and put the values in the table.

Background:

$I_0 =$	$I$ for pos. side	$I$ for neg. side	$I_{ave} - \text{backg.}$	$I_{1.43} / I_{2.46}$	$I_{1.43} / I_{2.46}$ theo
$\beta = +/-1.43\pi$					
$\beta = +/-2.46\pi$					

Also measure UNITS!! slit width  $a =$                   Distance  $L =$                    $\lambda = 532\text{nm}$

### **Analysis:**

Give the formula you use for calculating for  $I_{1.43} / I_{2.46}$  theoretical:

### **Question:**

Discuss your results, give error and discuss possible sources of error.